## Topic 25: Computing Confidence Intervals, Testing a Hypothesis

We have two populations, A and B, that we know to be approximately normally distributed. We want to look at the ratio of the variance of A to the variance of B. To do this we take a random sample of each. The sample from A has size 38 and sample standard deviation of 12.58. The sample from B has size 51 and sample standard deviation of 17.24.

Find the 95% confidence interval for  $\frac{\sigma_1^2}{\sigma_2^2}$ 

```
1 #
2 # get a 95% confidence interval for the
3 # ratio of the variances from the problem
4 source("../ci_2popvar.R")
5 #
6 ci_2popvar( 38, 12.58, 51, 17.24, 0.95)
```

```
> #
      get a 95% confidence interval for the
      ratio of the variances from the problem
> source("../ci_2popvar.R")
> ci_2popvar( 38, 12.58, 51, 17.24, 0.95)
                                                     F High
     CI LOW
                CI_HIGH
                           Quotient
                                          F Low
  0.2935815
              0.9931256
                          0.5324597
                                      0.5361454
                                                  1.8136691
  Top Var.
                Top sd
                           Top size
                                      Bot Var.
                                                     Bot sd
158.2564000 12.5800000
                         38.0000000 297.2176000
                                                 17.2400000
   Bot size
                c level
                            Alpha/2
 51.0000000
              0.9500000
                          0.0250000
```

```
Test, at the 0.05 level, the null hypothesis H_0: \frac{\sigma_1^2}{\sigma_2^2} = 1 against the alternative hypothesis H_1: \frac{\sigma_1^2}{\sigma_2^2} \neq 1
```

```
8 # Test the null hypothesis that the ratio of the
9 # variances is 1 versus the alternative that the
10 # ratio is not one. Do the test at the 0.05 level.
11 source("../hypo_2var.R")
```

```
run Tunction
      12 #
      13 hypoth_2test_var( 38, 12.58, 51, 17.24,
                             0.0.05)
      14
     Test the null hypothesis that the ratio of the
     variances is 1 versus the alternative that the
     ratio is not one. Do the test at the 0.05 level.
 source("../hypo_2var.R")
                   run function
> hypoth_2test_var( 38, 12.58, 51, 17.24,
                     0.0.05)
                  H1
                                     n top
                                                          s top
                                      "38"
                                                        "12.58"
        "v_1 != v_2"
               v top
                                     n bot
                                                          s bot
          "158, 2564"
                                      "51"
                                                        "17.24"
                                  quotient
                                                       crit low
               v bot
          "297.2176" "0.532459719747418"
                                            "0.536145391877096"
           crit high
                                  decision
                                                       attained
                                  "Reject" "0.0475722703085961"
  "1.81366905917175"
```